

Assemblée générale FIRST-TF Rennes – 8 octobre 2025

Vers une technologie CSO de 3^{eme} génération (CSO 3G)

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Projet soutenu par FIRST-TF

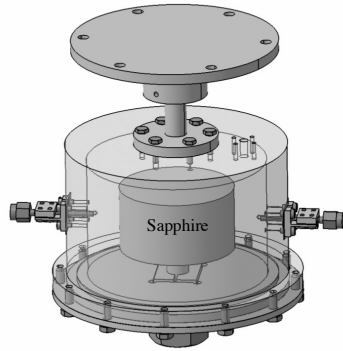
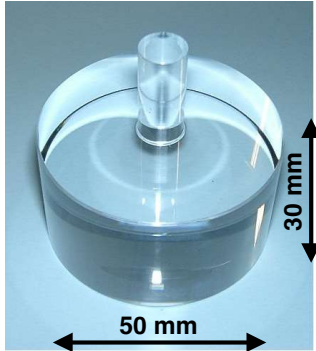
2021 : 60 k€

2024 : 14.5 k€

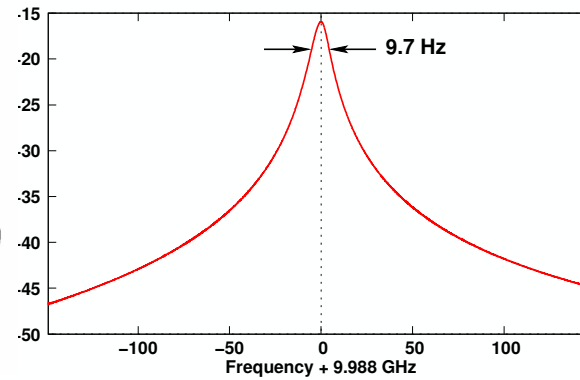
2025 : 12 k€ + (20 k€)

Oscillateur Saphir Cryogénique (CSO)

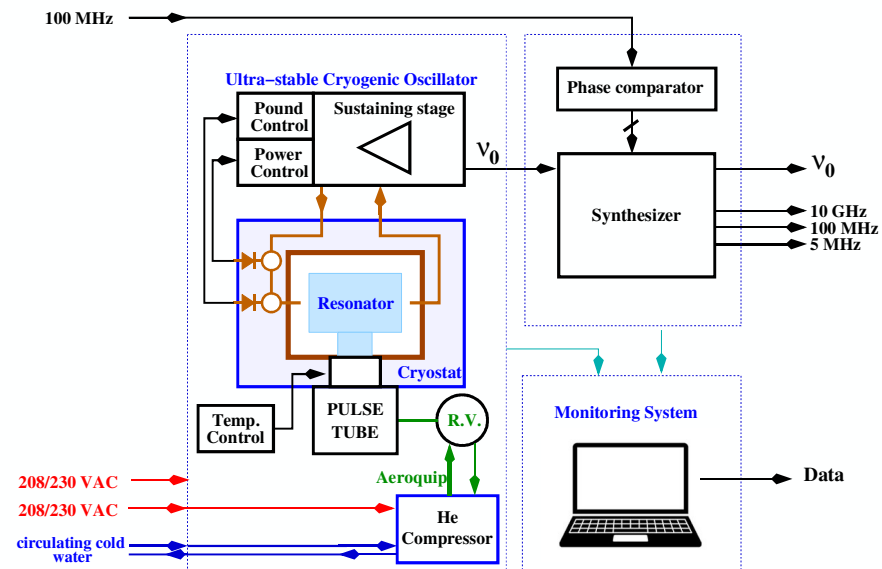
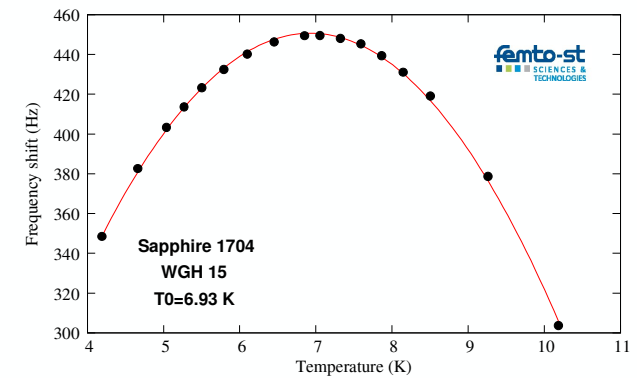
9.99 GHz resonator



$Q_L \approx 1 \times 10^9$

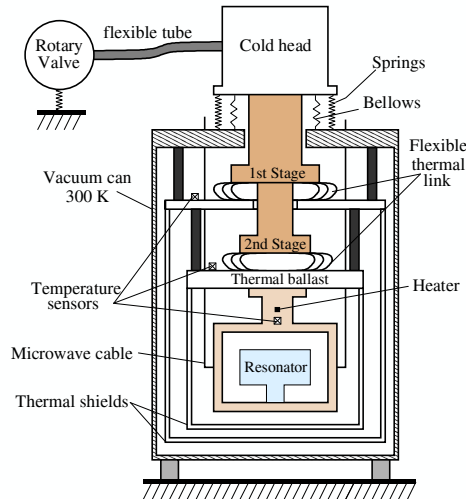


Turnover 5-8 K



ULISS-2G : Cryo. “Basse consommation” ANR Emergence 2012

Cryomech PT 403
(3 kW) 250 mW @ 4 K

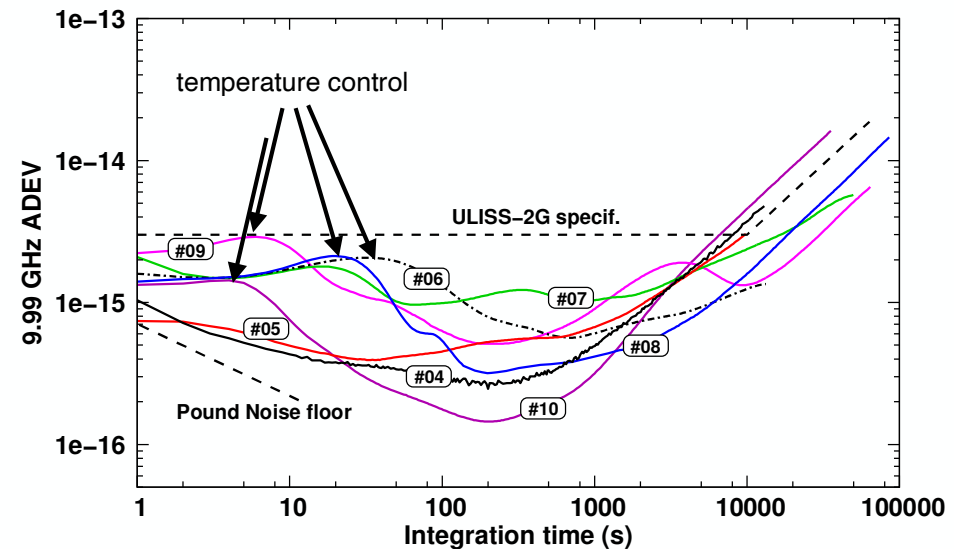


**Compromis entre T mini
et isolation des vibrations**

**ULISS 2G
ADEV**

**12 CSOs « autonomes » construits et validés
à FEMTO-ST depuis 2009**

#	Nickname	Power	First operation	Status	Who
000	ELISA	6 kW, 3-phase	June 2009	Prototype	ESA
001	MARMOTTE	6 kW, 3-phase	Oct. 2010	Oscillator IMP reference	FEMTO-ST
002	ULISS	6 kW, 3-phase	Nov. 2011	Oscillator IMP reference, transportable unit	FEMTO-ST
003	ABSOLUT	8 kW, 3-phase	May 2014	Oscillator IMP reference	FEMTO-ST
004	ULISS-2G proto	3 kW, 1-phase	June 2015	Prototype, proof of principle	FEMTO-ST
005	ULISS-2G 005	3 kW, 1-phase	Dec. 2017	Commercial, delivered	USNO
006	ULISS-2G 006	3 kW, 1-phase	Nov. 2018	Commercial, delivered	USNO
007	ULISS-2G 007	3 kW, 1-phase	June 2019	Commercial, delivered.	USNO
008	ULISS-2G 008	3 kW, 1-phase	Dec. 2020	Commercial, delivered	NTSC
009	ULISS-2G 009	3 kW, 1-phase	April 2021	Commercial, delivered	NPL
010	ULISS-2G 010	3 kW, 1-phase	March 2022	Commercial, delivered	INRIM
011	ULISS-2G 011	3 kW, 1-phase	March 2024	Commercial, delivered	KRISS
012	ULISS-2G 012	3 kW, 1-phase	—	Commercial, under construction	SYRTE



Projet FIRST-TF 2021

Disponibilité d'un PT "faible conso" ?

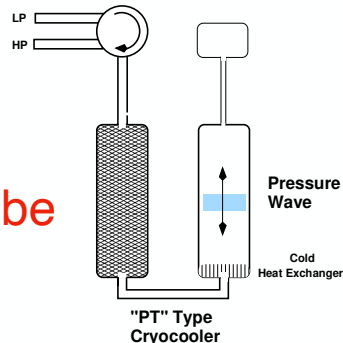
Conception ULISS-2G basée sur PT 403 (CryoMech)



Pas d'autre cryo. équivalent sur le marché

Two types of 4 K Cryocooler:

Pulse-Tube

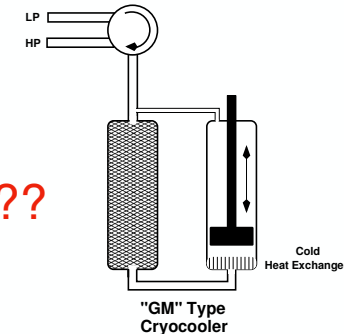


Mouvement d'une onde de pression

Pas de pièces mobiles à froid

Maintenance réduite, vibrations limitées

GM ??



+ Disponible chez de nombreux fabricants

+ Gamme étendue de puissance de refroidissement

+ Produit en plus grandes quantités

+ Fonctionne quelque soit orientation

- Vibrations induites par le piston

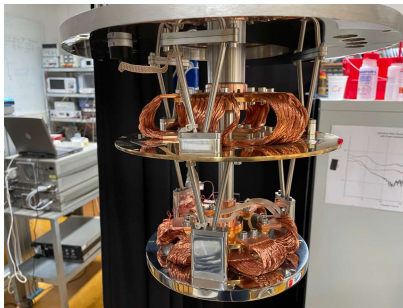
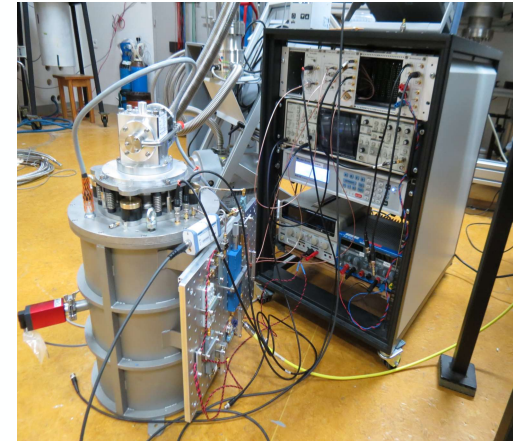
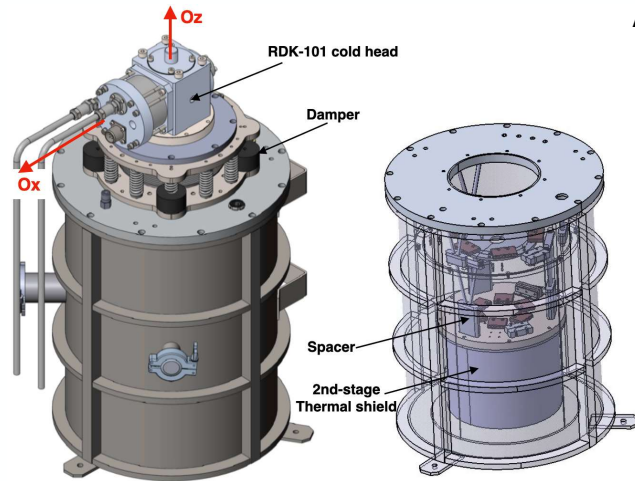
- Maintenance

Nouvelle conception du cryostat ULISS-3G

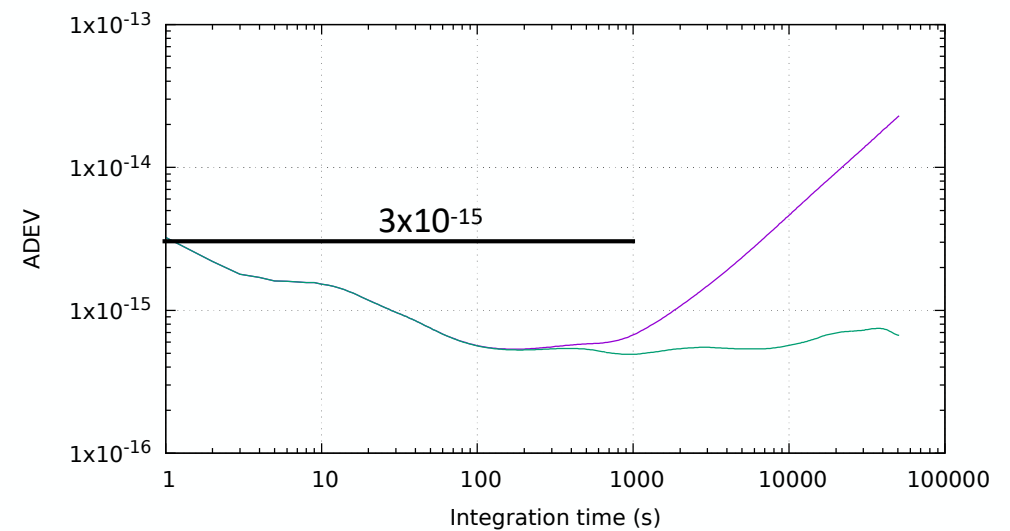
Enceinte rigidifiée, Tubes 6 × 5.7 mm

Ecrans Cu dorés

Ammortisseurs Sorbothane



weekend 23-24 sept. Regul Rc P=30 I=75



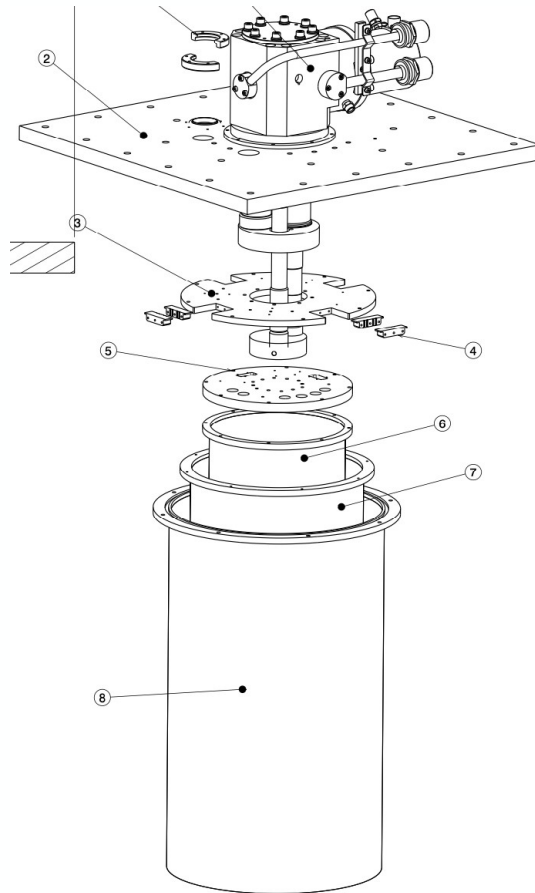
Ultra-Stable Microwave Cryogenic Oscillator operated with a Gifford-McMahon cryocooler

G. Le Tetu, C. Fluhr, B. Dubois, J. Paris, R. Hostein and V. Giordano.
Cryogenics, 135 (2023), 103745, DOI : 10.1016/j.cryogenics.2023.103745

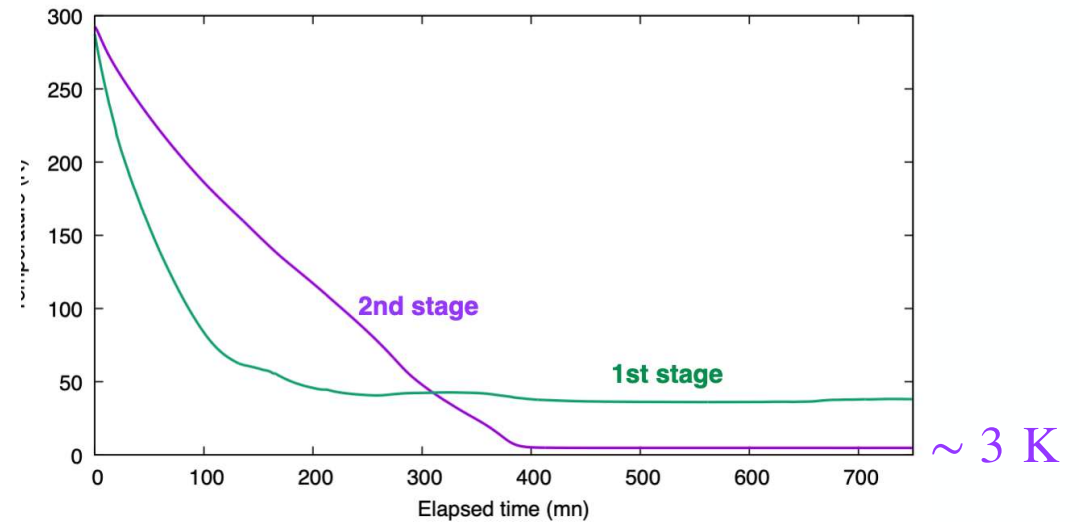
Projet FIRST-TF 2024

Réhabilitation d'un ancien cryostat pour test de résonateurs saphir

Sumitomo SRP082 1W @ 4.2 K



Sumitomo SRP082 2024-12-09 cooldown

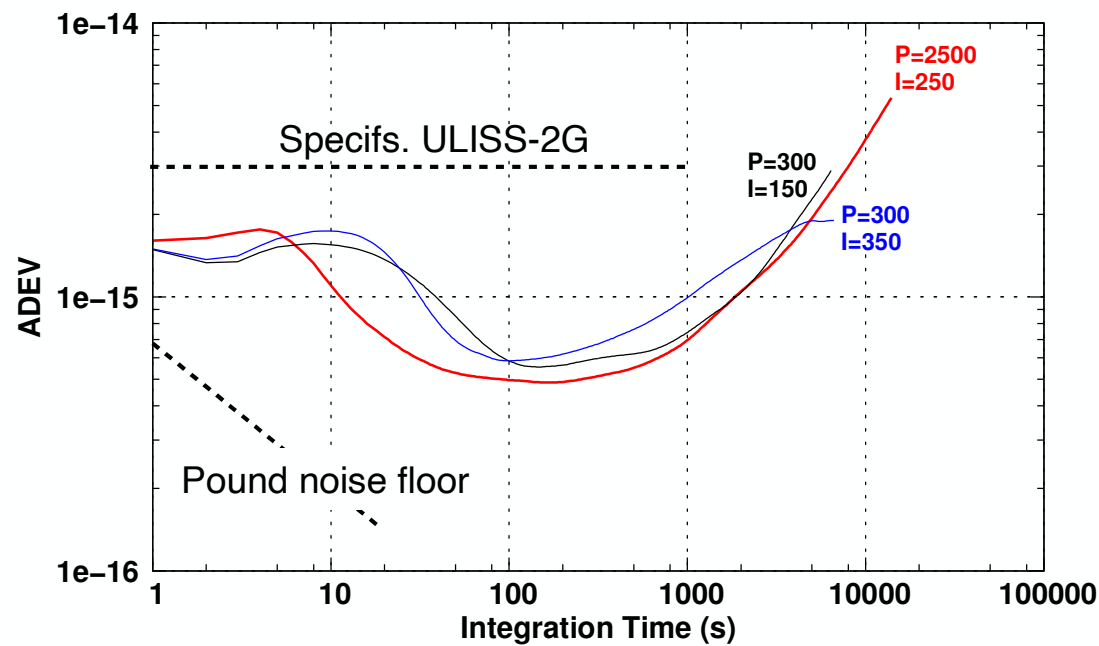


Disponible pour toutes mesures à basse température

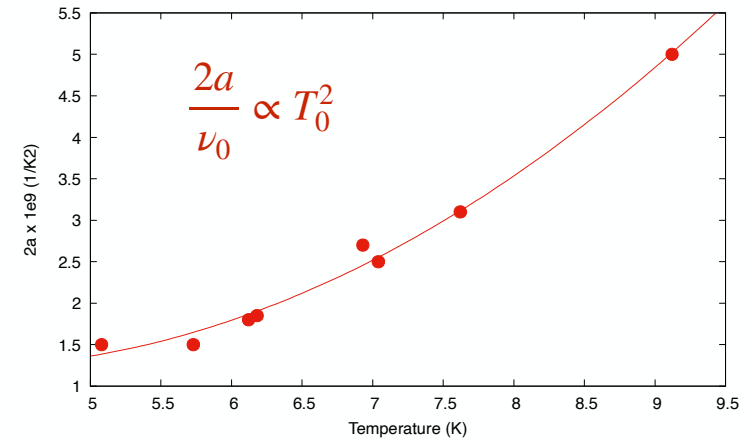
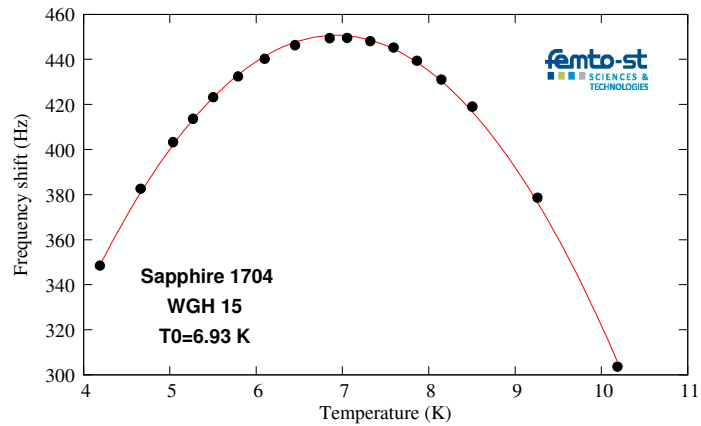
Projet FIRST-TF 2025

- Améliorer notre compréhension des phénomènes qui limitent la stabilité de fréquence des CSOs
- Si possible, proposer des solutions

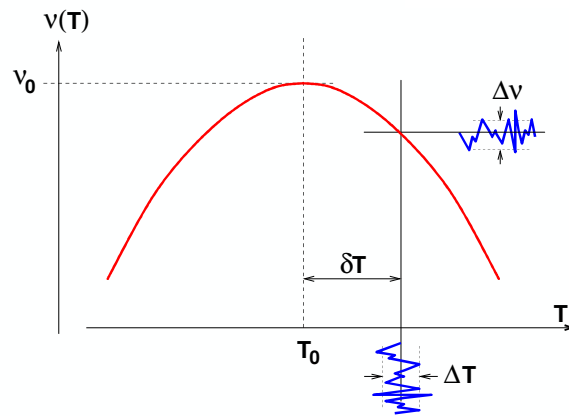
Pb #1 : Fluctuations résiduelles de la température



Ajustement des paramètres PI - ULISS-2G 010



$$\nu(T) - \nu_0 = a(T - T_0)^2$$



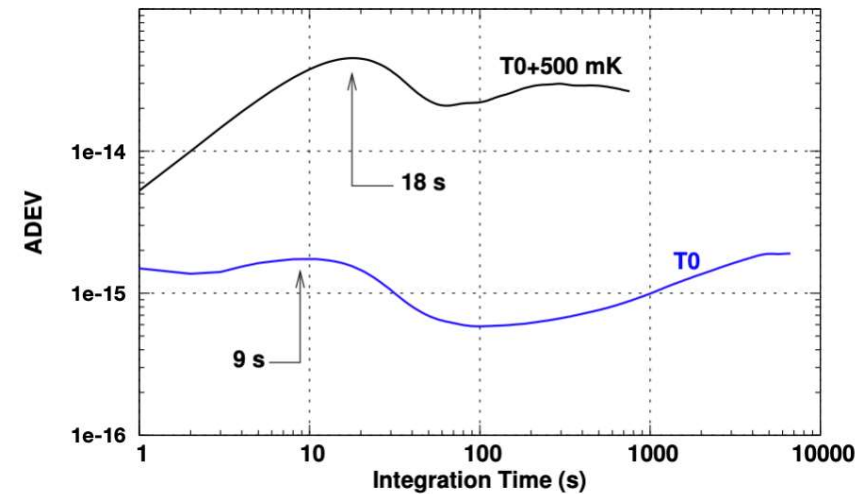
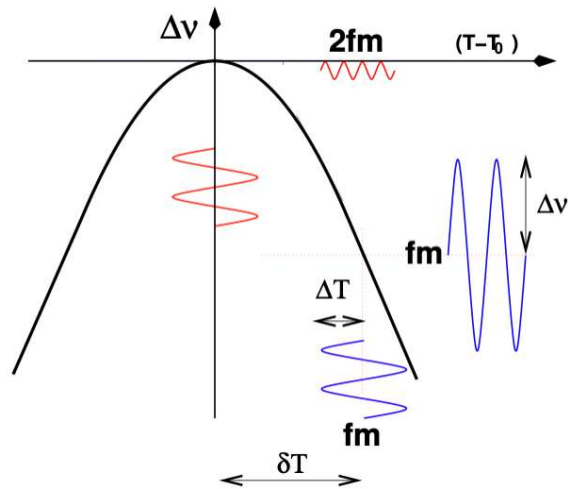
courbure
 $2.5 \times 10^{-9} \text{ K}^{-2}$ @ 7 K

$$\frac{\Delta \nu}{\nu_0} = \frac{2a}{\nu_0} \delta T \Delta T$$

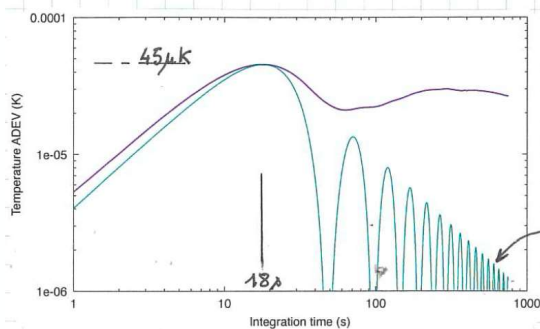
LAKESHORE 350 + Cernox 1070 @ 7 K

$$\delta T \approx 1 \text{ mK} ; \quad \Delta T \approx 0.2 \text{ mK} \rightarrow \frac{\Delta \nu}{\nu} \approx 5 \times 10^{-16}$$

Détermination expérimentale des fluctuations de température



Mesure fréquence U10 (2022-04-04) à $T = T_0 + 500 \text{ mK}$



ADEV T déduit de ADEV f

$$\sigma_T = \sigma_y \times 10^9$$

$$\Delta f = 10^{-9} \Delta T$$

$$\approx \frac{2a \times 5.6^{-4}}{\nu_0}$$

$$(63 \mu\text{K}) \frac{\sin^2 \pi T/48.6}{\pi T/48.6}$$

A partir de σ_T on en déduit l'amplitude et la période de la modulation de T

$$T = (T_0 + 500 \text{ mK}) + \Delta T \sin(2\pi T/T_m)$$

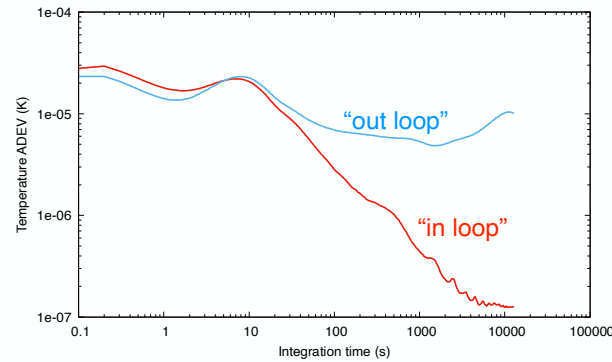
$$\left\{ \begin{array}{l} \Delta T = 45 \mu\text{K} / 0.72 \approx 63 \mu\text{K} \\ T_m = 18 / 0.37 \approx 48.6 \text{ s} \end{array} \right\} \text{ courbe verte}$$

$$\text{if } T = T_0 \rightarrow \sigma_y^{max} = \frac{2a}{\nu_0} \frac{\Delta T^2}{\pi} \approx 3 \times 10^{-18}$$

Chercher l'erreur ??

1/ Fluctuations de T réelles ≠ déterminées par la méthode précédente ??

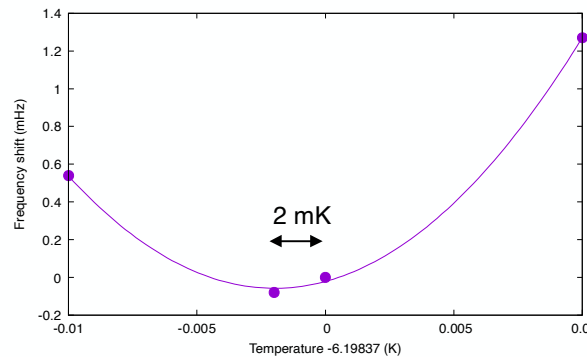
Mesures avec sonde “out loop”



2/ Erreur sur la température d'inversion ??

Fluctuations de fréquence compatibles avec :

$$\delta T = 22 \text{ mK}$$



En pratique, en tenant compte de la résolution en fréquence et de la dérive éventuelle de l'oscillateur :

$$\delta T < \pm 2 \text{ mK}$$

3/ Sensibilité du résonateur n'est pas celle attendue ??

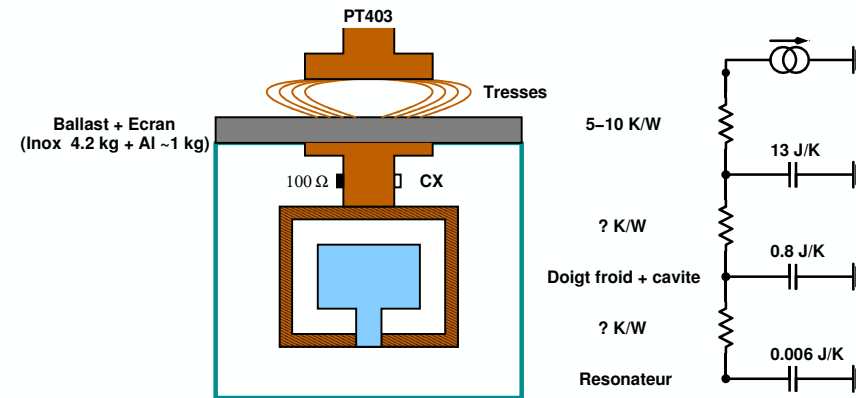
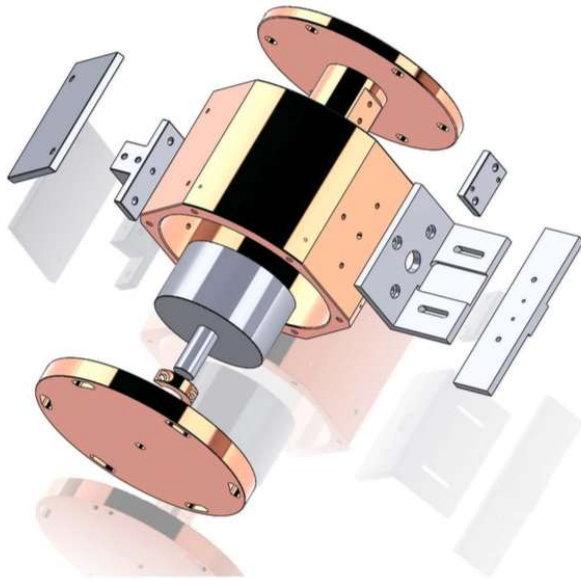
$$\nu(T) - \nu(T_0) = a(T - T_0)^2 + \tilde{a} \times \frac{dT}{dt}$$

Sensibilité dynamique ???

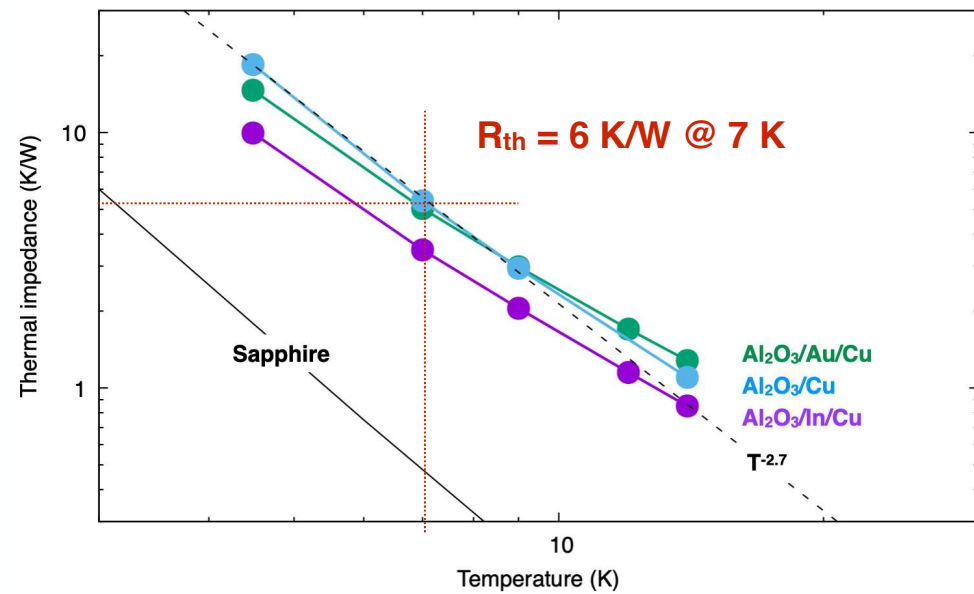
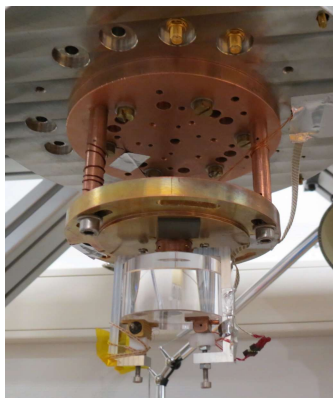
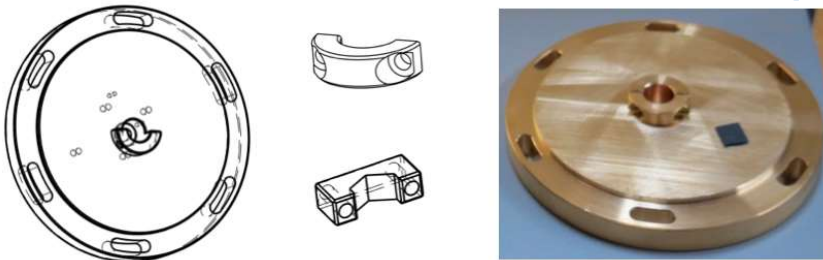
- Amélioration de la régulation de température ??

- Sensibilité réelle du résonateur ??

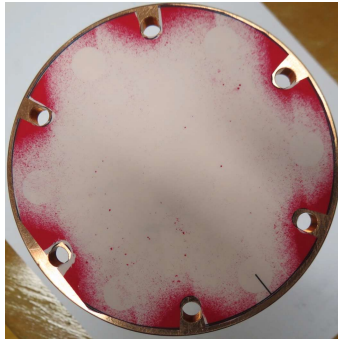
Identification du système thermique



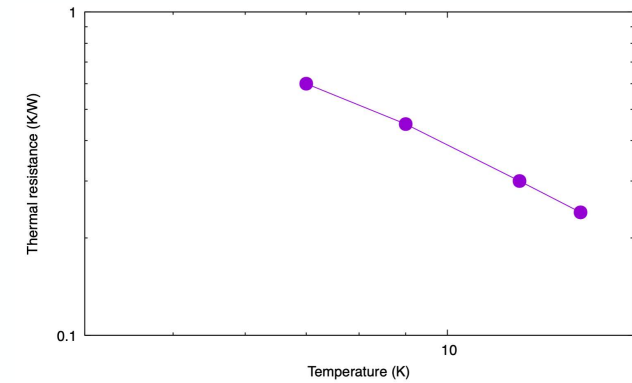
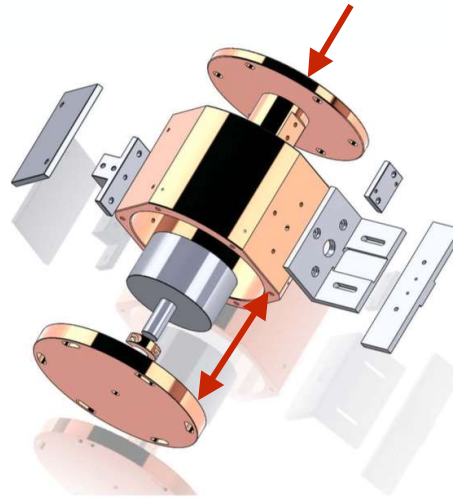
Maintien du résonateur : Résistance thermique



Identification du système thermique

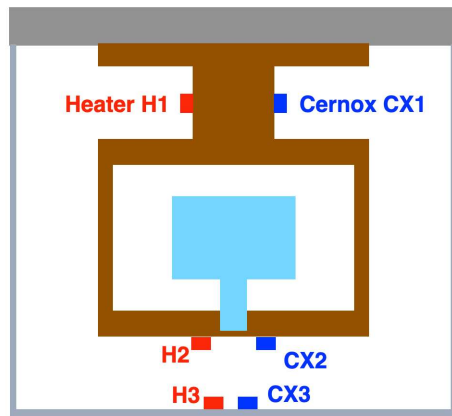


Contact Cavit /Ballast : $R_{th} \sim 1$ K/W

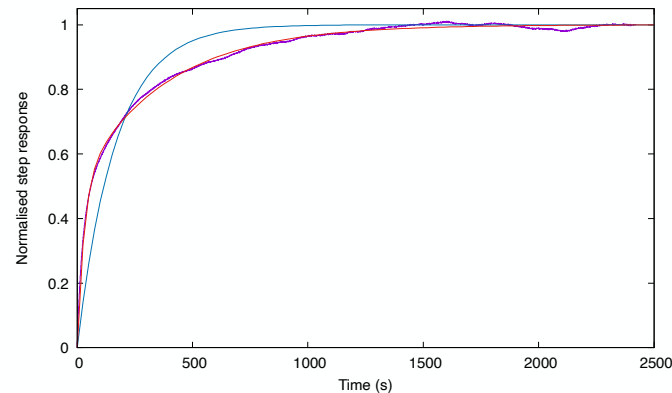


Contact Cavit /Flasque inf. : $R_{th} < 1$ K/W

Mesures dynamiques



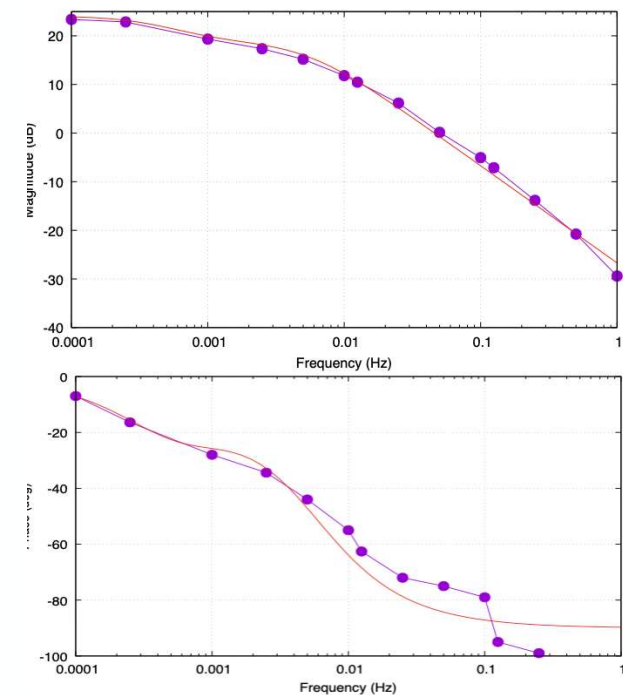
Modulation ou  chelon de puissance



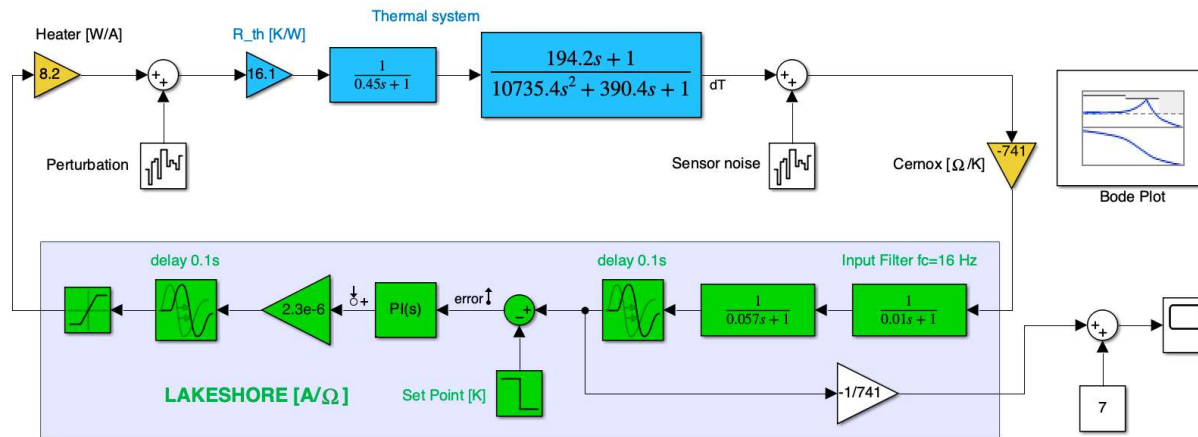
R ponse indicielle

$$H(s) \approx 16.1 \left(\frac{1}{1 + 0.45s} \right) \left(\frac{1 + 194.2s}{1 + 390.4s + 10735.4s^2} \right)$$

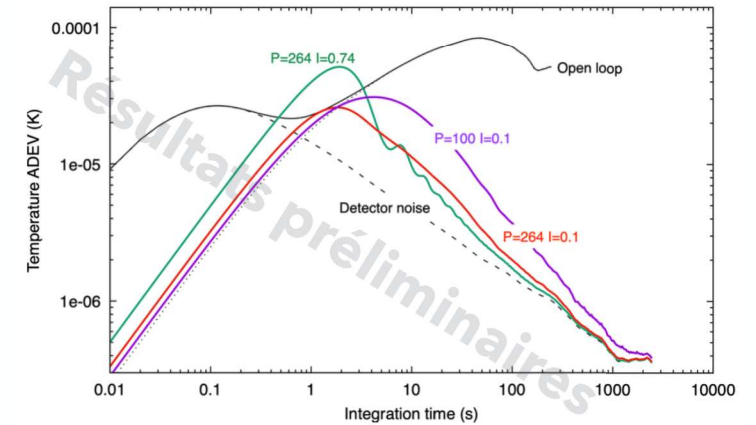
R ponse harmonique



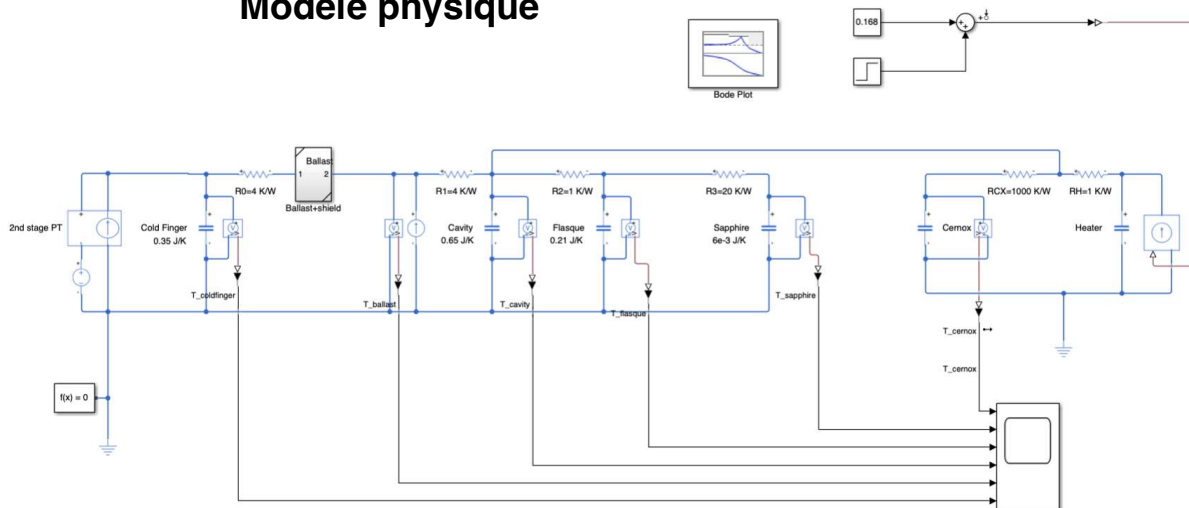
Modèle paramétrique



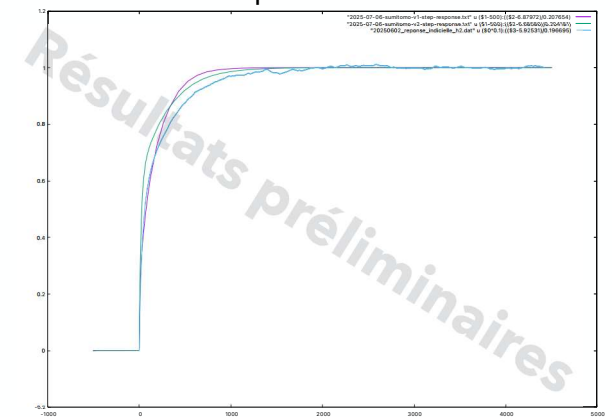
ADEV de la température



Modèle physique



réponse indicielle



Sensibilité réelle du résonateur ??

A. Ballato, *Static and Dynamic Behavior of Quartz Resonators*, 1979.

Use of the static f-T curve in conjunction with the known characteristics of commercial ovens leads to the conclusion that frequency stabilities orders of magnitude better than those observed ought to be possible with AT-cut resonators. The discrepancy is due to the neglect of the dynamic f-T behavior of the crystal

$$\frac{\Delta\nu}{\nu_0} = a(T - T_0) + b(T - T_0)^2 + c(T - T_0)^3 + \tilde{a} \frac{dT}{dt}$$

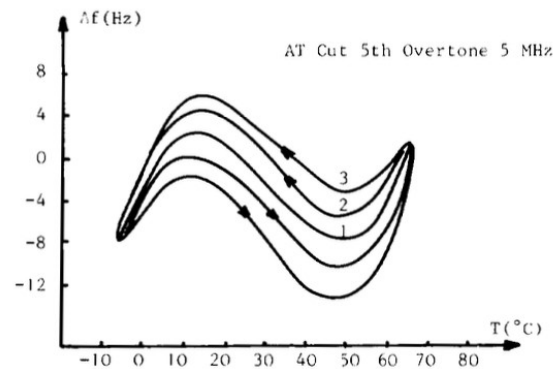
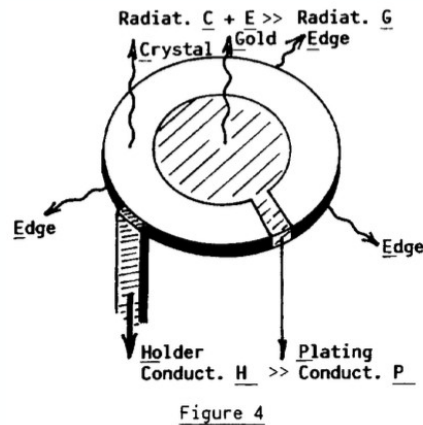


Fig. 3a : Experimental sinusoidal temperature cycling
 curve 1 : static f-T behavior
 curve 2 : sweep frequency : 2.3×10^{-4} Hz
 curve 3 : 4.6×10^{-4} Hz
 temperature range $\Delta T = \pm 35^\circ\text{C}$ about 30°C

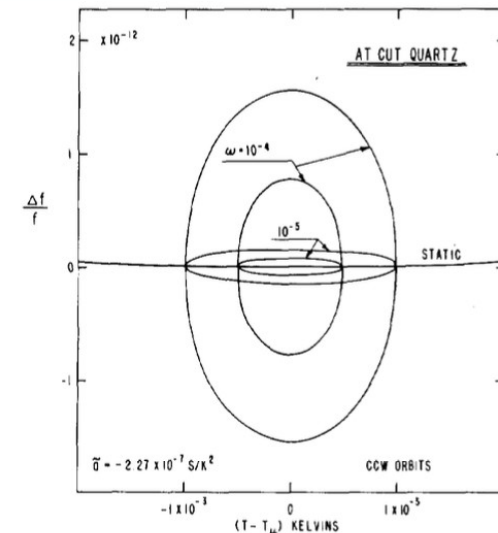


Fig. 8. Elliptical hysteresis orbits for sinusoidal temperature cycling. Temperature sweep ranges 0.5 and 1 millikelvin. Orbital periods are 6.28×10^4 and 6.28×10^5 s, for $\omega = 10^{-4}$ and 10^{-5} , respectively. It is seen that even diurnal rhythms contribute significantly to frequency instability.

$$\nu(T) - \nu(T_0) = a(T - T_0)^2 + \tilde{a} \times \frac{dT}{dt} \quad \text{Sensibilité dynamique ???}$$

Kovarich (UWA) 2005

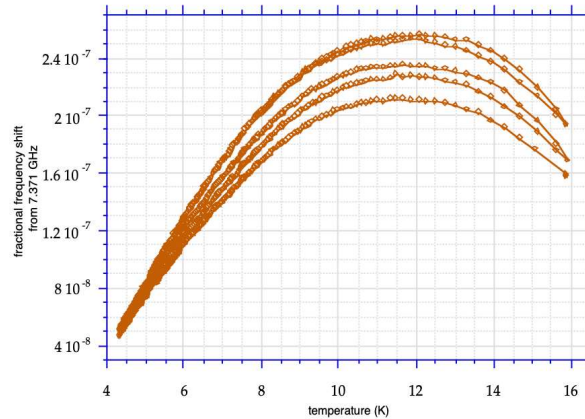
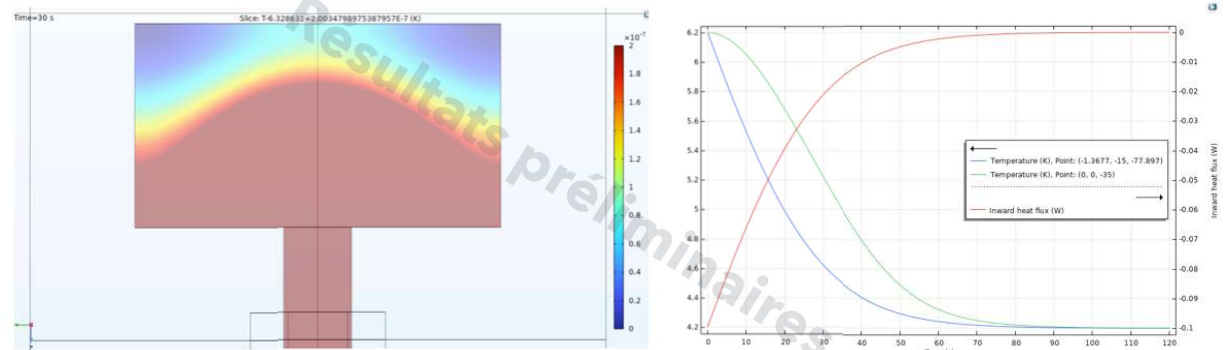


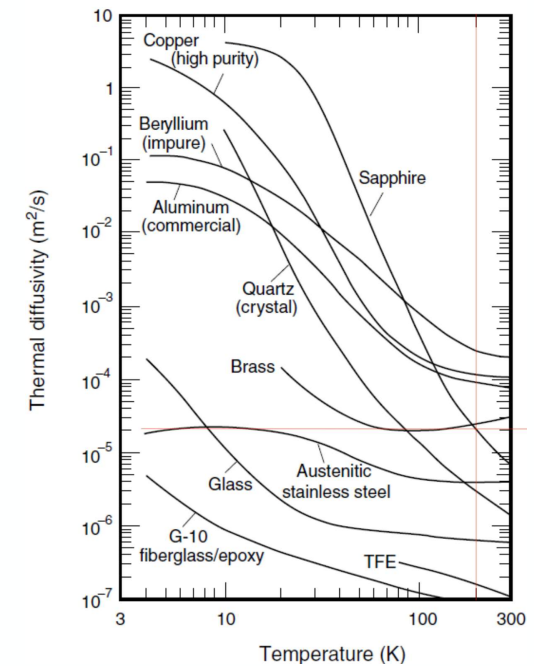
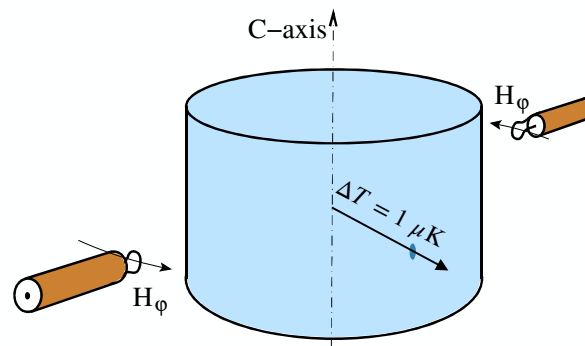
Figure 32) Frequency versus temperature function for a CSDR mode at 7.371 GHz, obtained over 17 hours. The looseness between the sapphire spindle and the cups that support it causes the following: Hysteresis due to poor thermal contact and curve distortion due to frequency drift caused by mechanical instability of the CSDR.

Modèle COMSOL G. Le Tetu (FEMTO-ST)

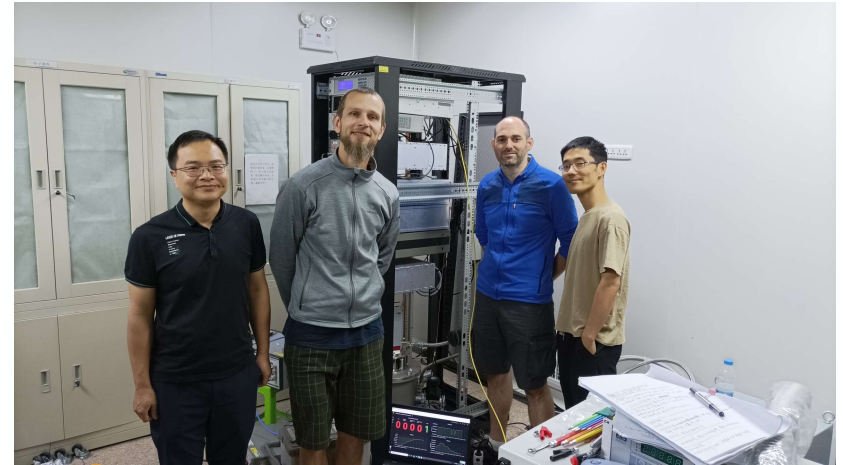


Modèle Mode Matching
perturbation au 1er ordre

1 μK de gradient
radial
+
 $T_0 + 2 \text{ mK}$
 $\rightarrow df/f = 10^{-15}$



NTSC Xian PRC June 2023



NPL Teddington April 2022



Merci de votre attention

USNO Washington January 2024

