

# Improvements to the IPPP toolbox

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# Exploring the Core of IPPP Advancements

## Understanding IPPP

Refines PPP by resolving carrier-phase ambiguities to integers, enhancing time accuracy.

## IPPP Toolbox Enhancement

Details front-end refinements for result display, back-end bug fixes, and adaptability for external users.

## Phase Jump Detection

Outlines methods for detecting phase jumps to maintain the integrity of time transfer.

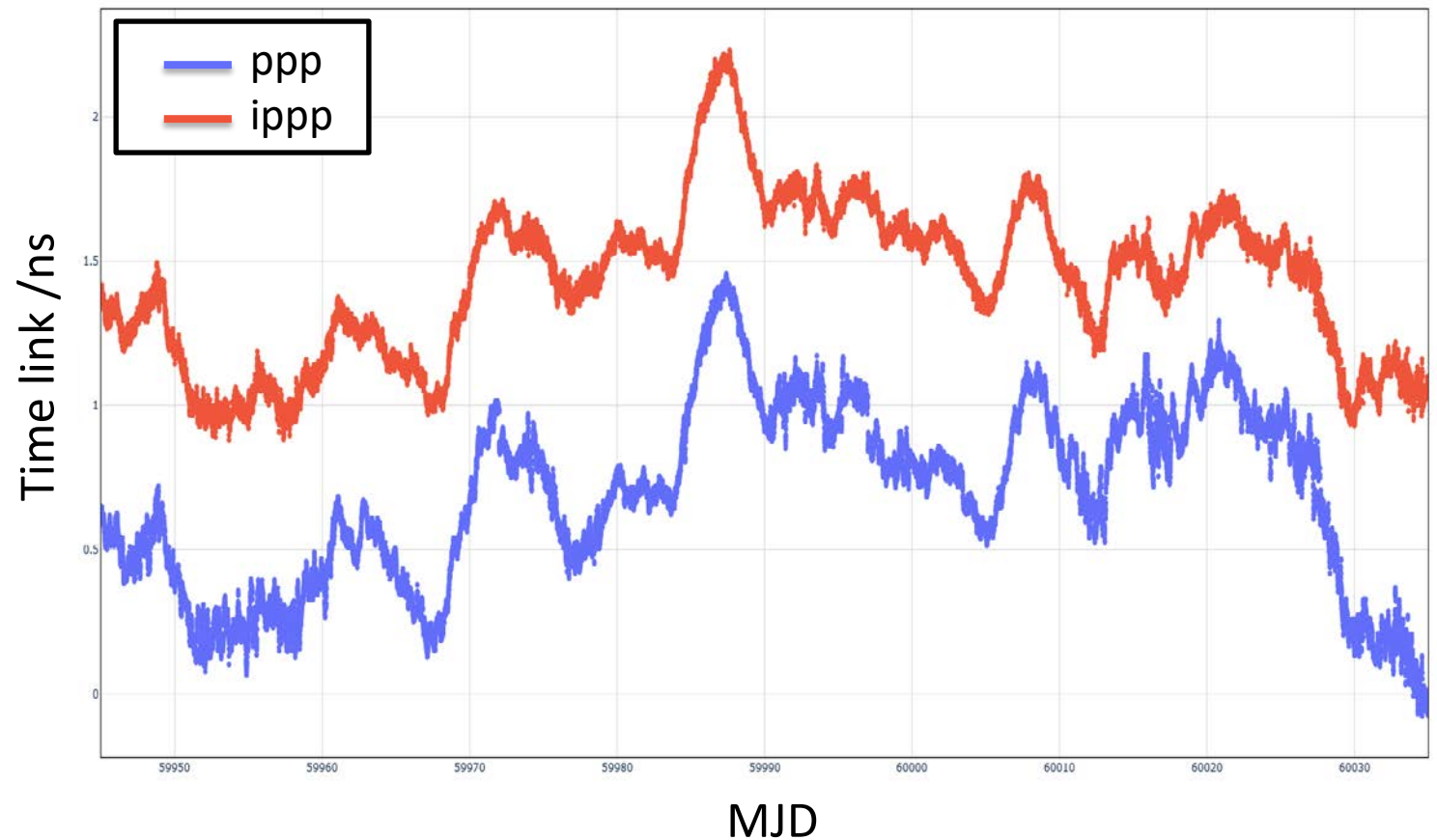
## Future Implementations and Collaborations

Explores Galileo integration and enhanced compatibility with OP, alongside IPPP solution comparisons across various software solutions.

# Introduction to IPPP & Distinctions from PPP

- IPPP refines PPP by resolving phase ambiguities as integers.
- Enhances time transfer stability, reducing long-term noise.
- Achieves frequency transfer sub  $1e-16$  accuracy after one week (*Petit, G. (2021). Sub-10<sup>-16</sup> accuracy GNSS frequency transfer with IPPP*)

PPP and IPPP link OP – PTB

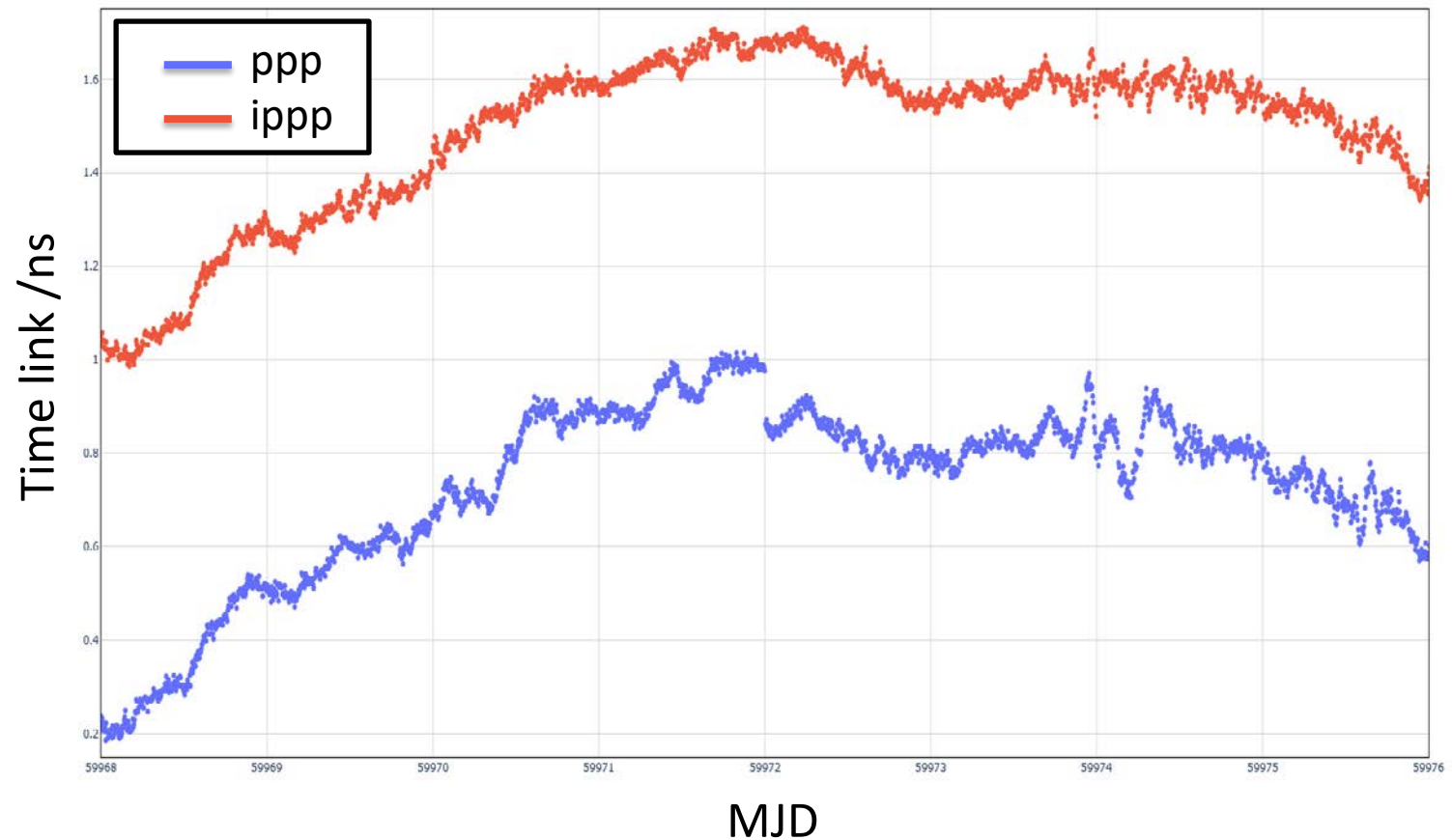


2023 January – March: 90 days

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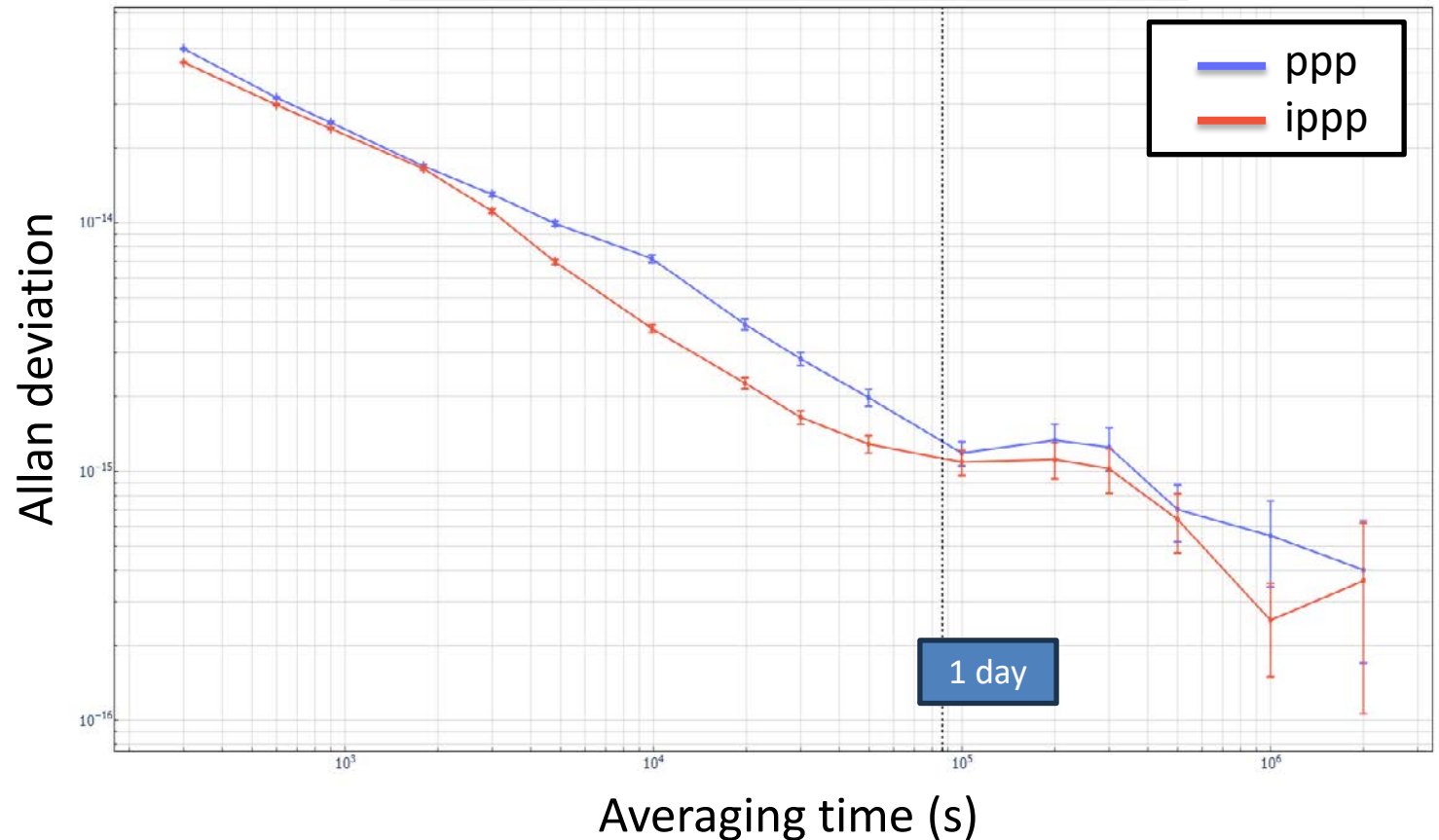


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PPP and IPPP link OP – PTB



@1 day:          ppp: 1.19e-15          ipp: 1.09e-15  
@11.5 days:      ppp: 5.52e-16          ipp: 2.52e-16

# Processing and Practical Application of IPPP

Zero-difference widelane identification

$$N_W = f(P_1, P_2, L_1, L_2) + \mu_i - \mu^j$$

- $N_W$ : widelane integer ambiguity
- $f$ : Melbourne-Wübbena linear combination
- $P_1, P_2$ : pseudorange
- $L_1, L_2$ : phase measurements
- $\mu_i$ : widelane biases for receiver  $i$  (solved together with  $N_W$ )
- $\mu^j$ : widelane biases for satellite  $j$  (taken from the GRG products)

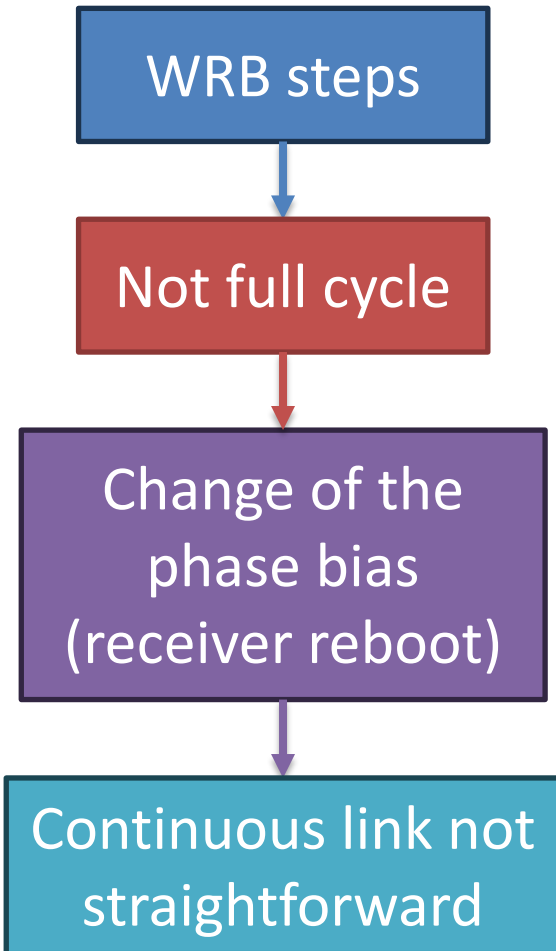
# Processing and Practical Application of IPPP

Zero-difference ionosphere-free

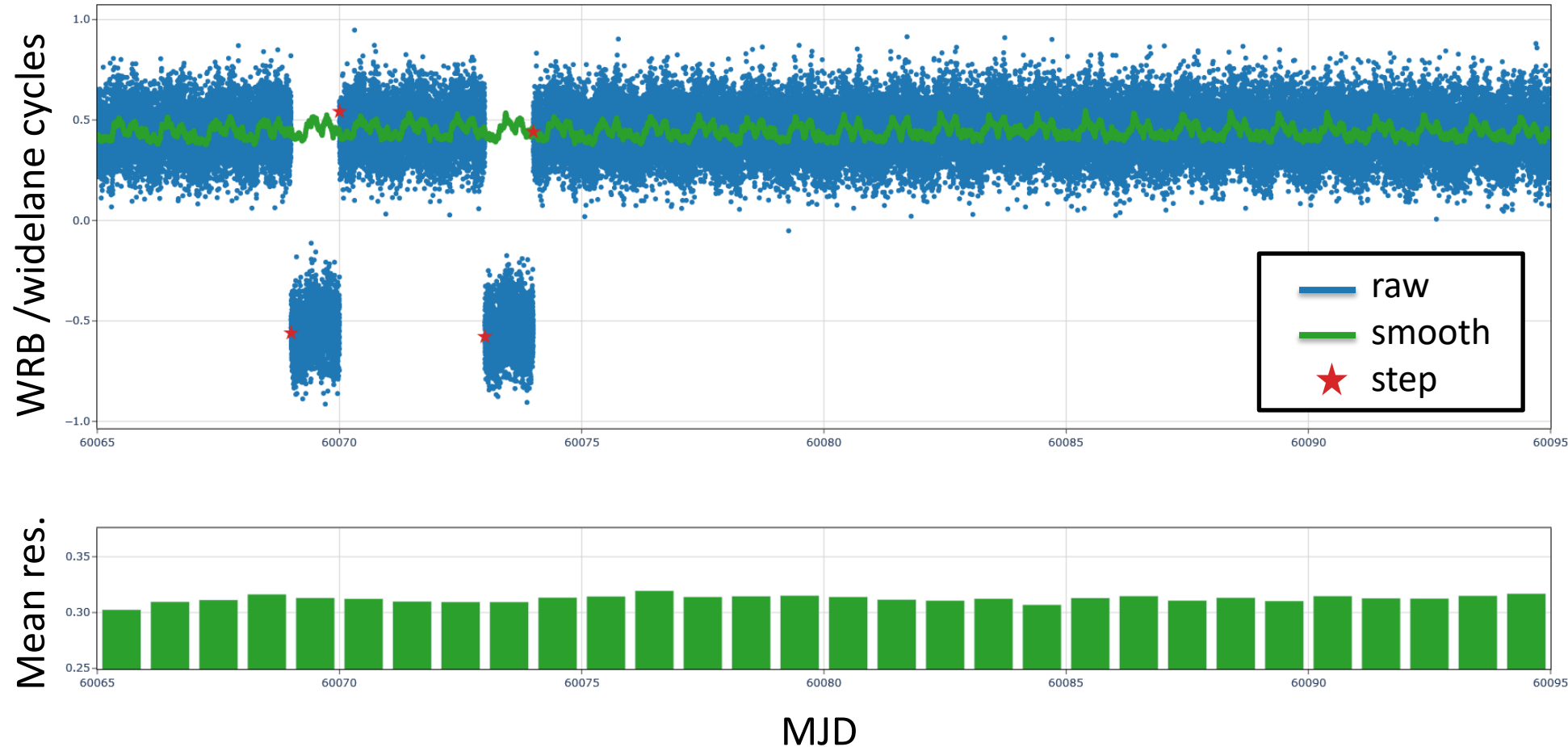
$$\frac{\gamma \lambda_1 L_1 - \lambda_2 L_2}{\gamma - 1} = cT_c + w - \lambda_c N_1 + \frac{\lambda_2 N_w}{\gamma - 1} + c\Delta h$$

- $c$ : velocity of light
- $T_c$ : coordinate time of propagation of the signal (including all delays)
- $\Delta h$ : clock difference (station-satellite)
- $L_1, L_2$ : phase measurements (in cycles)
- $\lambda_i$ : wavelengths
- $\lambda_c = (\gamma \lambda_1 - \lambda_2)/(\gamma - 1)$  with  $\gamma = (\lambda_2 / \lambda_1)$  (1.647 for GPS, 1.793 for Galileo)
- $W$ : wind-up effect (in meters)

# Advancements and Operational Aspects of IPPP



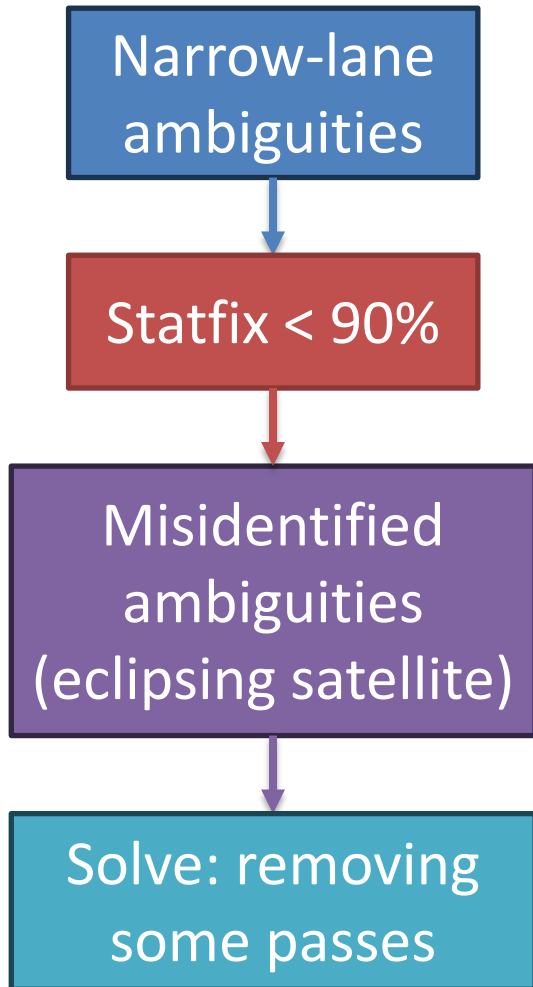
## Prairie analysis



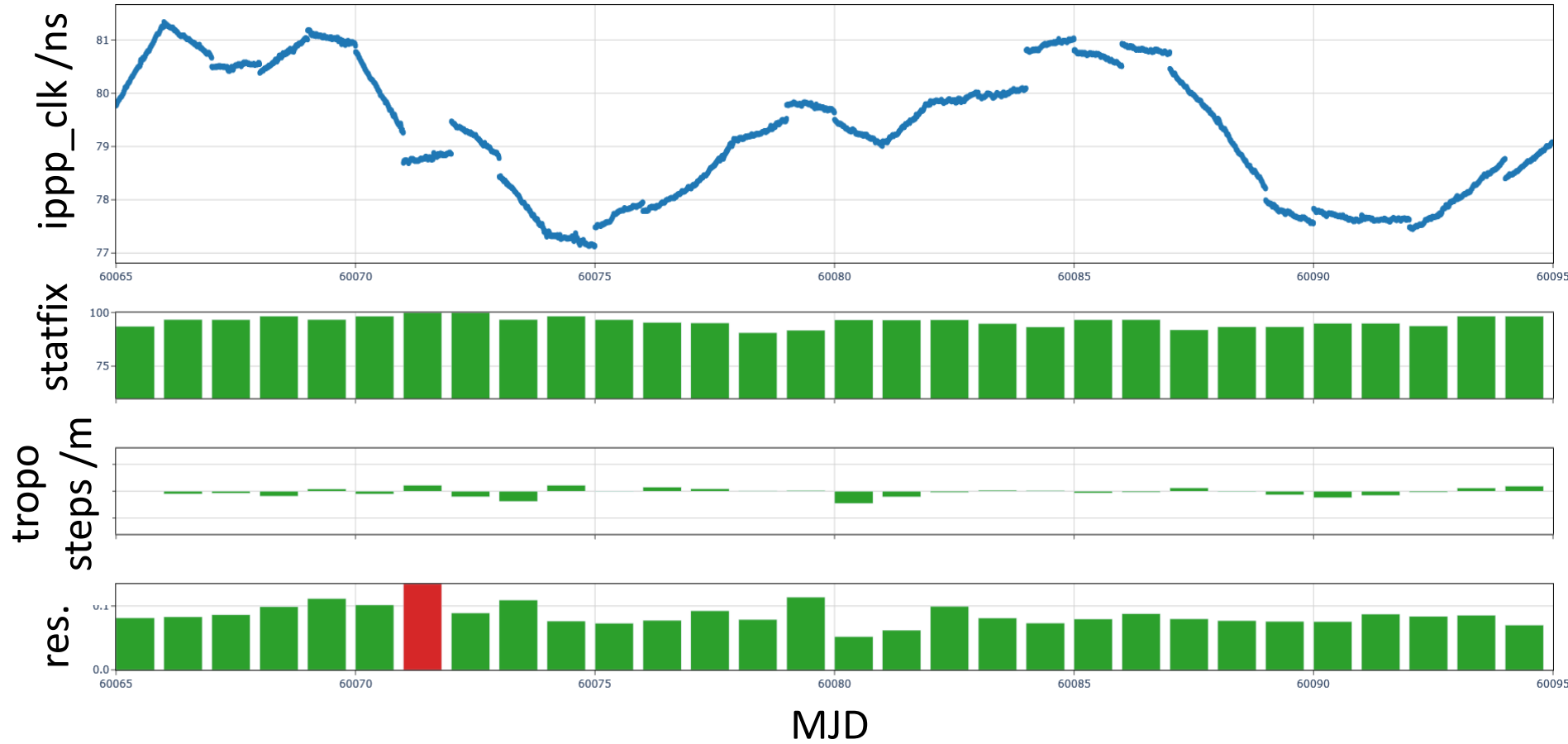
2023 May: 30 days



# Advancements and Operational Aspects of IPPP



GINs analysis – OP73



2023 May: 30 days

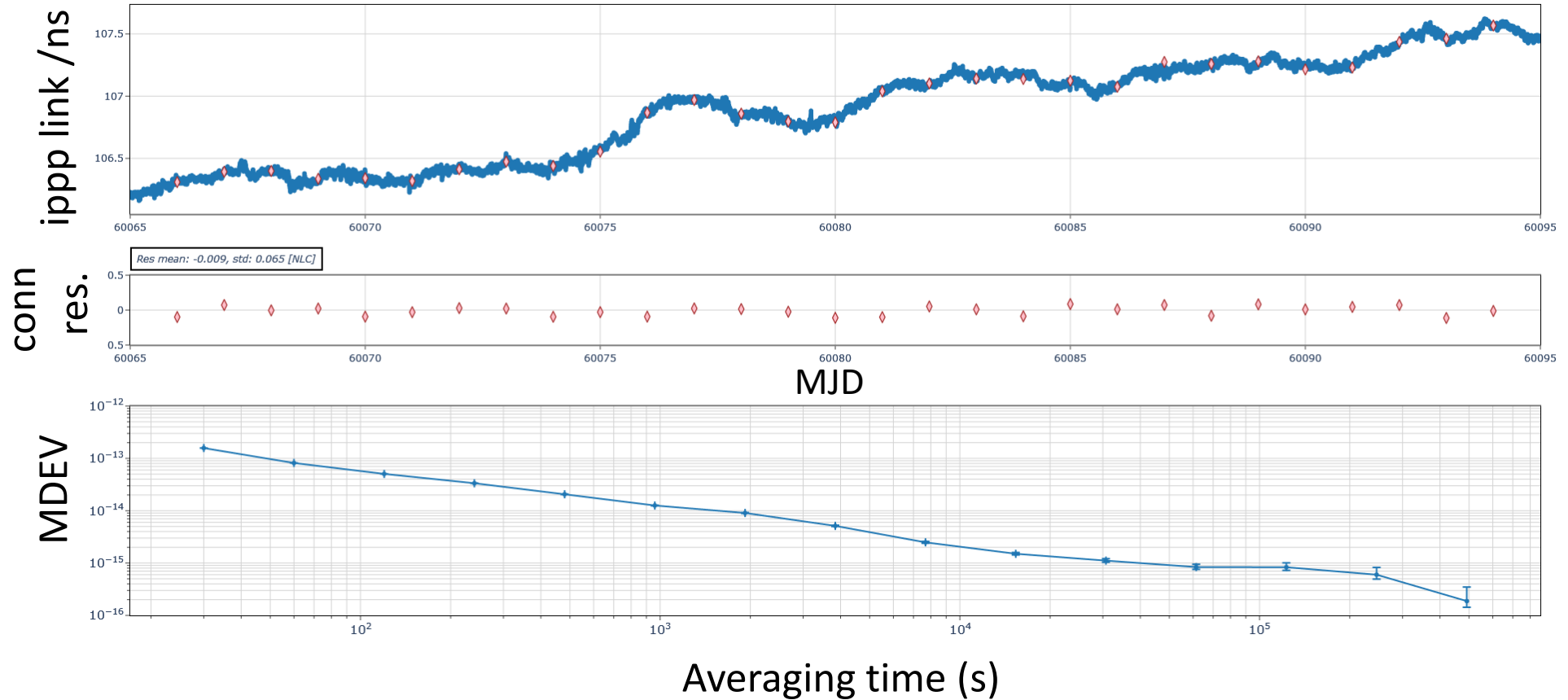
# Advancements and Operational Aspects of IPPP

## Link analysis – PTBB - OP73

Day boundary  
step, missing  
data...

Steps > 100ps

Add a reset or  
remove period

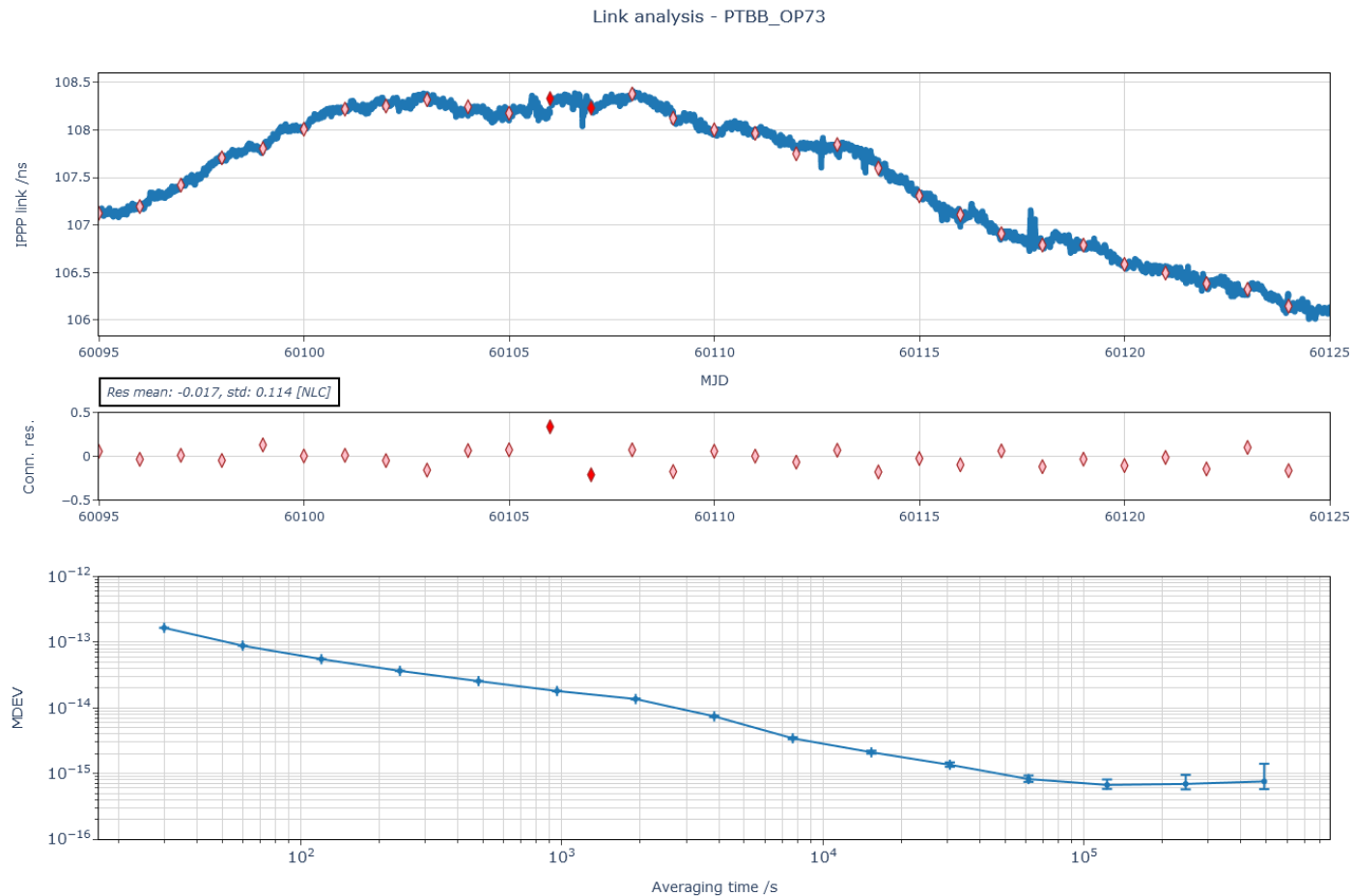


2023 May: 30 days

# Advancements and Operational Aspects of IPPP

Local server

- HTML plot enhanced with GSL
- Interacting analysis (zoom, reset and remove period output file)



## IPPP\_tools Analysis

Date (MJD)  Period (day)

Type:  Prairie  Gins  Link

Laboratory:  IT  NIST  OP

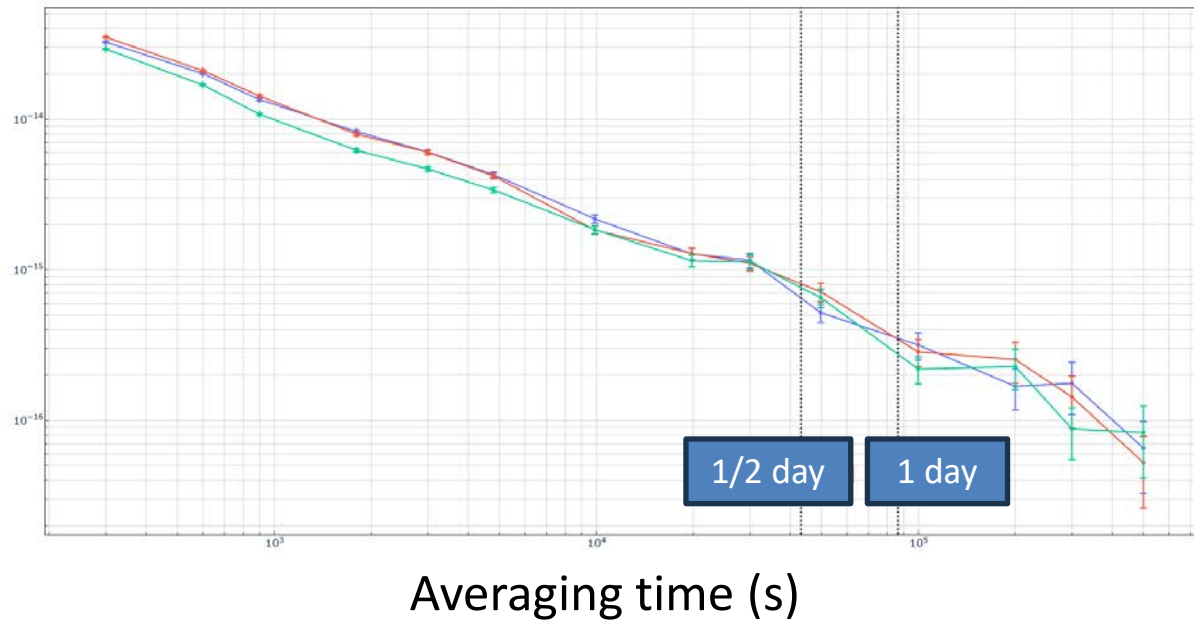
RINEX id:  opmt  op73

Link Analysis:  Select datum  Reset Remove  60116.0000  60106.0000  60107.0000

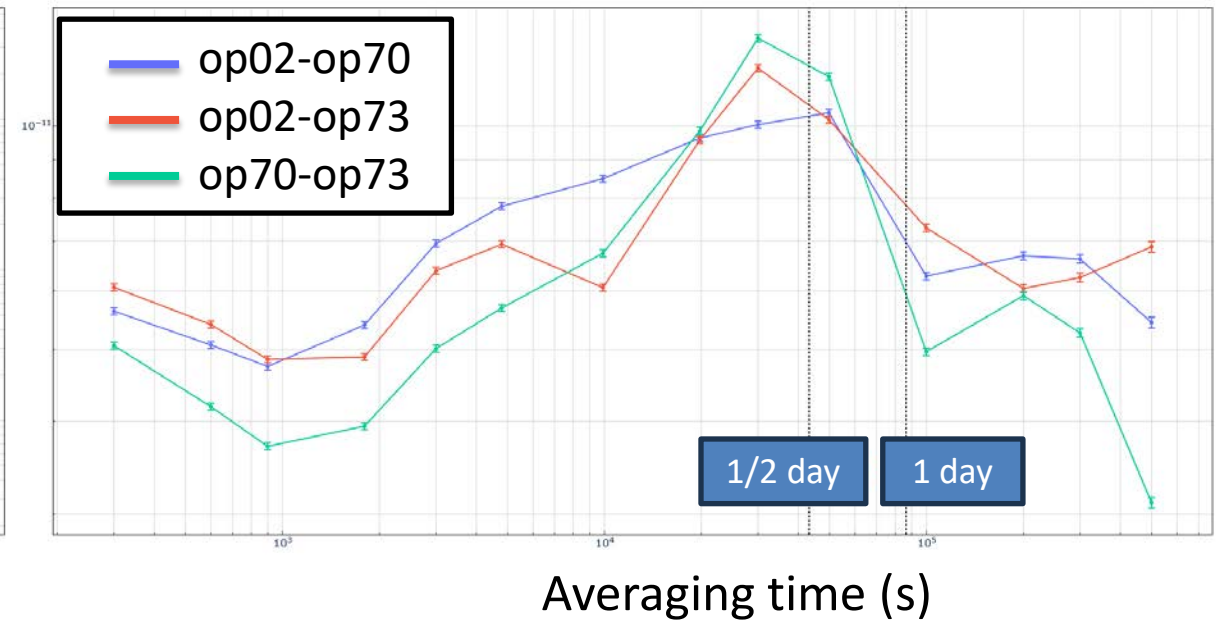
Config Status:

# Advancements and Operational Aspects of IPPP

Allan deviation



Time deviation



Rinex file identifier	Model
OP02	Z-XII3T
OP70	PolaRx5TR
OP73	PolaRx5TR

# Phase Jump Detection

## Kalman filter algorithm

$$\begin{aligned}\hat{\mathbf{X}}[n|n-1] &= \Phi[n|n-1]\hat{\mathbf{X}}[n|n-1] \\ \Gamma[n|n-1] &= \Phi[n|n-1]\Gamma[n|n-1]\Phi^T[n|n-1] + \mathbf{Q}\end{aligned}$$

$$\begin{aligned}\mathbf{v}[n] &= \mathbf{Z}[n|n-1] - \mathbf{H}\hat{\mathbf{X}}[n] \\ \sigma_v^2[n] &= \mathbf{H}\Gamma[n|n-1]\mathbf{H}^T + \mathbf{R} \\ \mathbf{K}[n] &= \Gamma[n|n-1]\mathbf{H}^T(\sigma_v^2[n])^{-1}\end{aligned}$$

$$\begin{aligned}\hat{\mathbf{X}}[n|n] &= \hat{\mathbf{X}}[n|n-1] + \mathbf{K}[n]\mathbf{v}[n] \\ \Gamma[n|n] &= (\mathbf{I} - \mathbf{K}[n]\mathbf{H})\Gamma[n|n-1]\end{aligned}$$

- $\hat{\mathbf{X}}$ : state estimate
- $\Gamma$ : covariance estimate
- $\mathbf{v}$ : innovation
- $\sigma_v^2$ : innovation covariance
- $\mathbf{K}$ : Kalman gain
- $\tau$ : sampling time with  $n = t / \tau$
- $\Phi$ : transition matrix
- $\mathbf{H}$ : observation model
- $\mathbf{R}$ : measurement noise (phase noise)
- $\mathbf{Q}$ : state equation noise (WFN, RWFN, drift)

# Phase Jump Detection

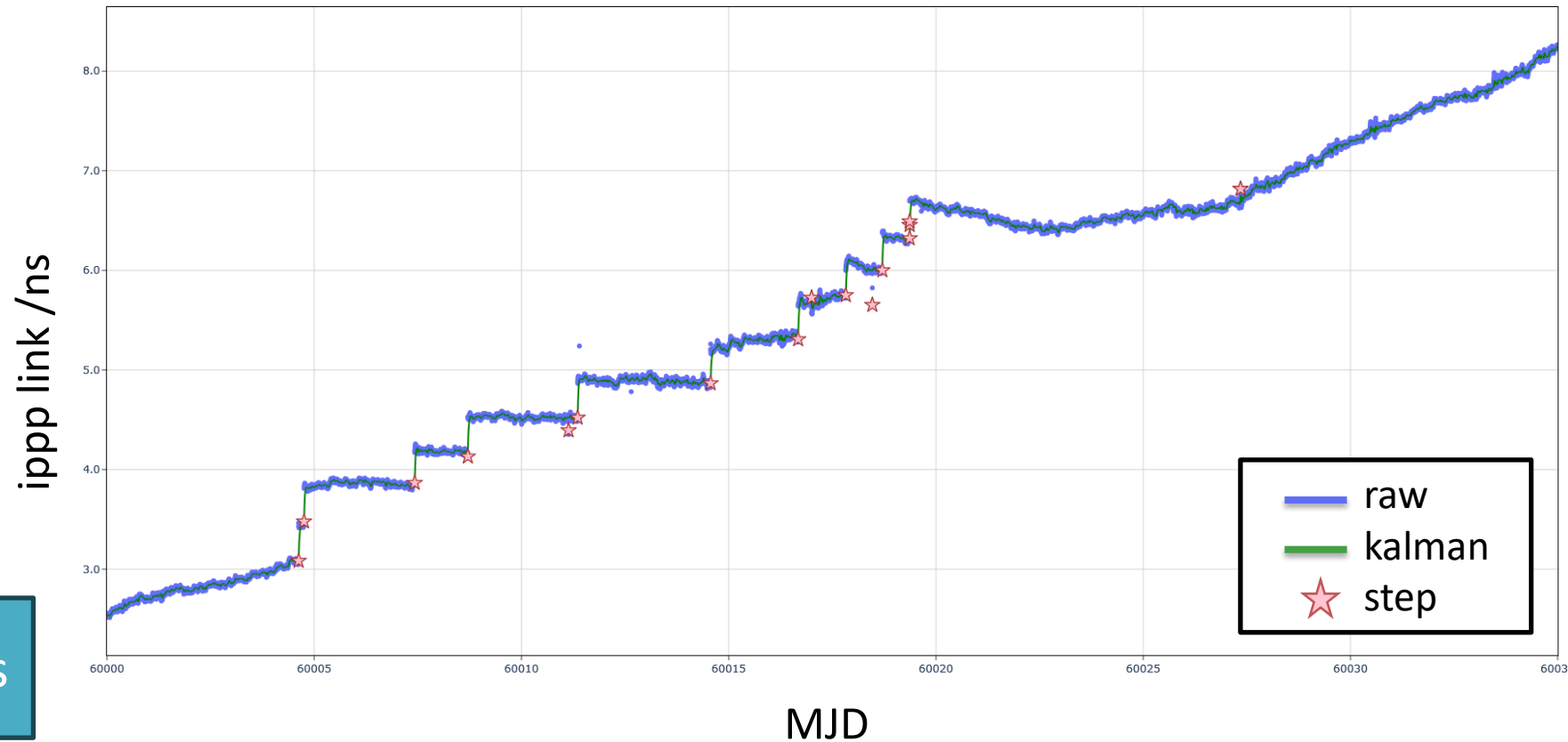
Time step detected

$$|v[n]| > k\sigma_v[n]$$

- $k$ : step threshold factor

Post processing analysis

Link analysis



# Future Implementations and Collaborations

